

Modeling Grain Boundary Structure and Mechanical Properties using LAMMPS* with EAM Potentials

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Collaborators/Discussions:

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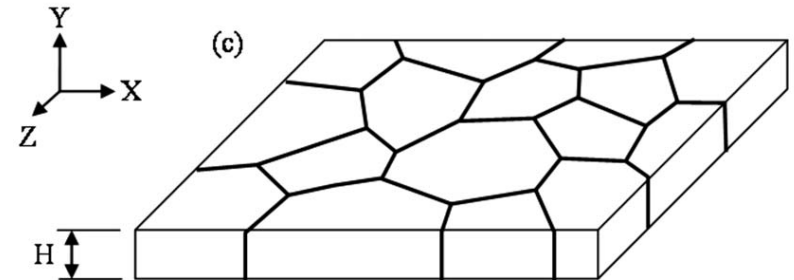
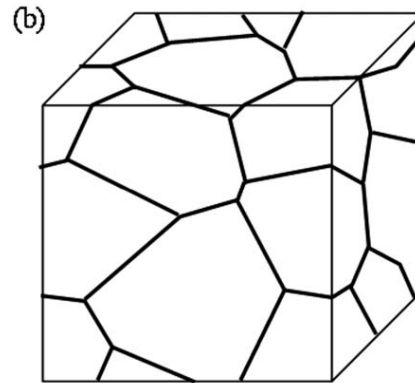
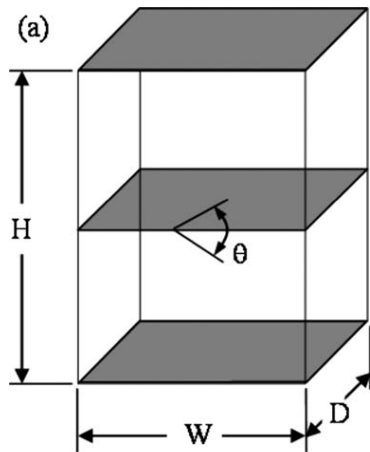
K. Jacob, GT G. Tucker, GT

J. Qu, Northwestern R. Rajgarhia, Arkansas

A. Saxena, Arkansas R. Dingreville, NYU Poly

- Grain boundary modeling

- Bicrystal models allow for “isolation” of specific mechanisms
- Nanocrystalline models allow for an analysis of triple junctions and deformation constrains imposed by opposing grains



Spearot and McDowell (2009)

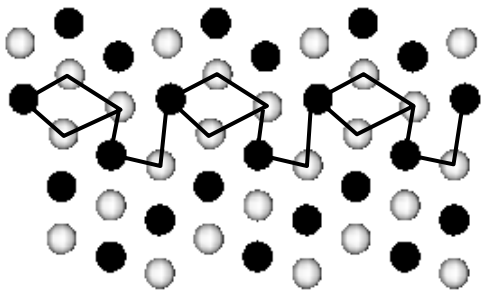
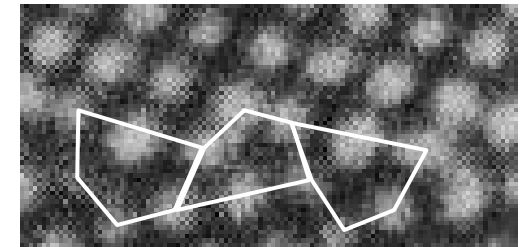
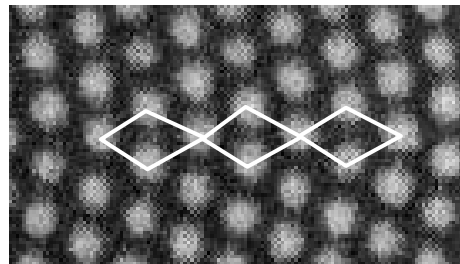
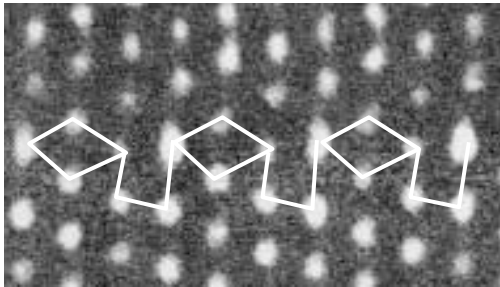
- Relevant LAMMPS commands

- Bicrystal: region, lattice, orient, origin, delete_atoms (overlap)
- Polycrystalline: read_data (created in matlab)

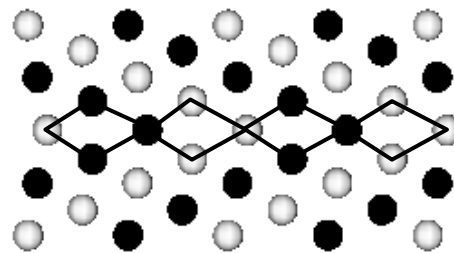
- Energy minimization

- Steepest decent or conjugate gradient method
- Multiple starting positions must be used to probe energy landscape

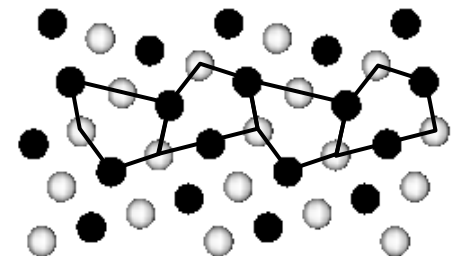
Mills et al. (1992); Medlin et al. (1993)



$\Sigma 3$ (112) 70.5°



$\Sigma 11$ (113) 50.5°



$\Sigma 9$ (221) 141.1°

- Relevant LAMMPS commands

- minimize, min_style, min_modify

Spearot (2005)

- Uniaxial tensile deformation

- fix_nept (N, strain rate, P, T)

$$\eta_{load} = \frac{\dot{h}}{h}$$

← Prescribed to meet desired strain rate

$$\dot{\eta}_{nonload} = \frac{v_P^2}{NkT_o} V (P - P_o)$$

Boundary motion controlled by Melchionna *et al.* (1993) equations of motion

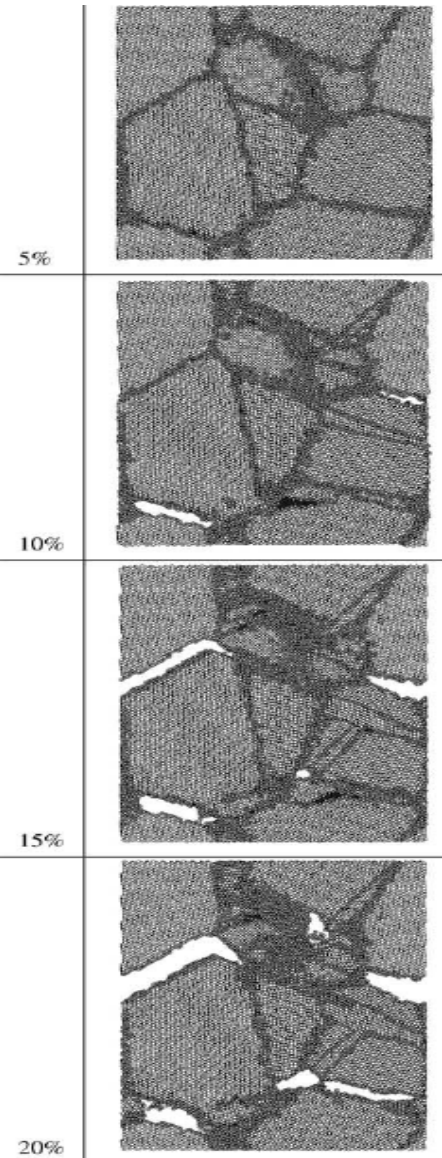
$$\dot{r}^i = \frac{p^i}{m} + \eta (r^i - R_o)$$

$$\dot{p}^i = F^i - (\eta + \zeta) p^i$$

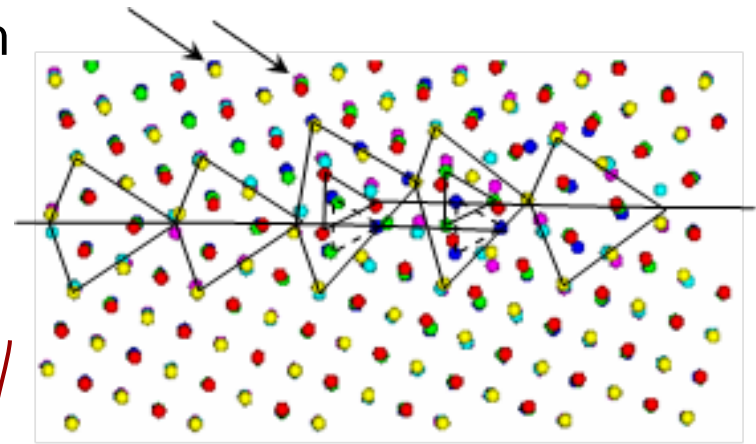
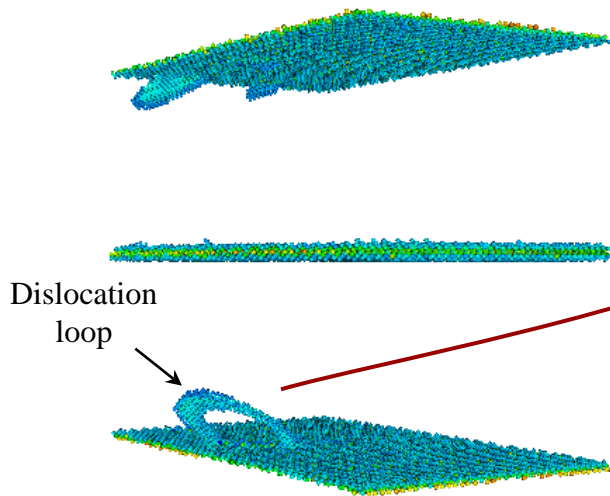
$$\dot{\zeta} = v_T^2 \left(\frac{T}{T_o} - 1 \right)$$

- fix_deform

- Essentially the same idea when “NULL” used as the pressure in the loading direction in fix_npt

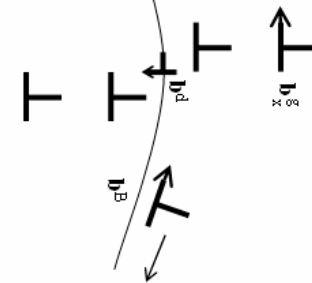


- Emission of interface dislocations in bicrystals
 - $\Sigma 5$ (310) $\langle 100 \rangle$ interface in aluminum
 - Calculations are performed at 10 K



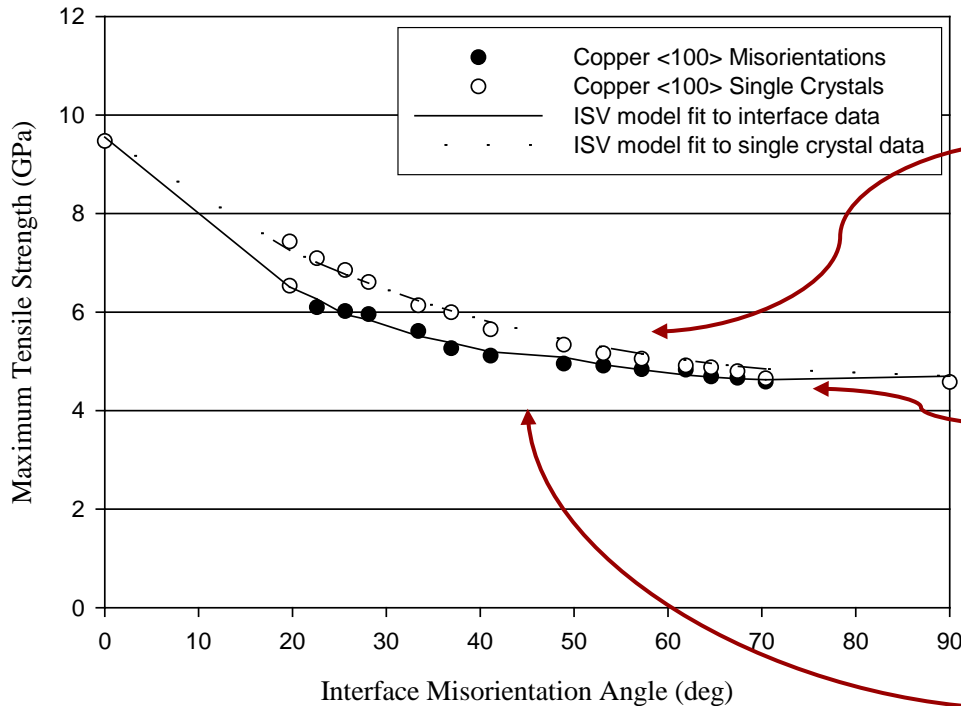
C C C** C** C

'Disconnection' is formed at the interface (Hirth et al., 2005)



A ledge is formed at the interface after the nucleation of the trailing partial dislocation without atomic shuffling along the interface plane

- Stress required for dislocation nucleation
 - Symmetric tilt copper <100> bicrystal interface models



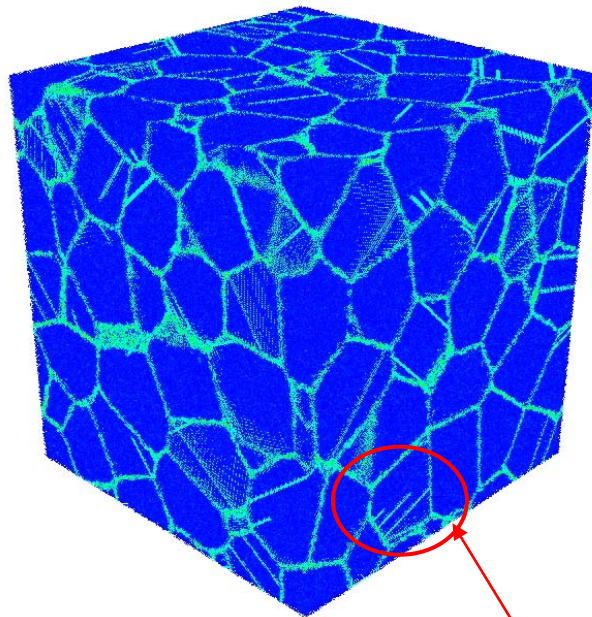
Orientation of the adjoining lattice regions plays a strong role in the tensile strength of the interface for many boundary misorientations

Dislocation nucleation shows significant non-Schmid behavior in agreement with *ab initio* calculations by *Ogata et al. (2002)*

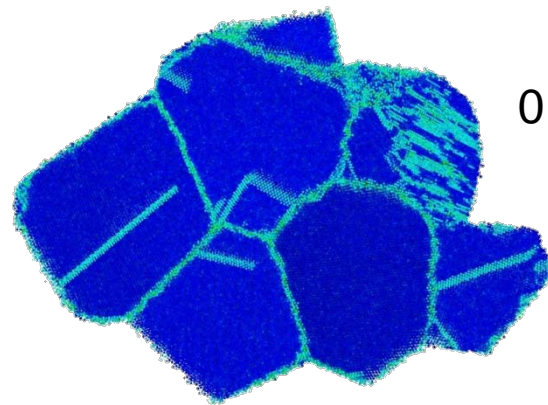
No special behavior is observed at low-order CSL <100> boundaries, GB energy and dislocation nucleation stress are not correlated

$$\sigma_{\max}^{\text{int}} = (1 - \xi D_c) \sigma_{\max}^{\text{sc}} = (1 - \xi D_c) \frac{\tau_{\text{ideal}}}{\mu_s SF + \mu_n NF + \mu_p PF}$$

Spearot et al. (2007) Acta Materialia, 55, 705-714.

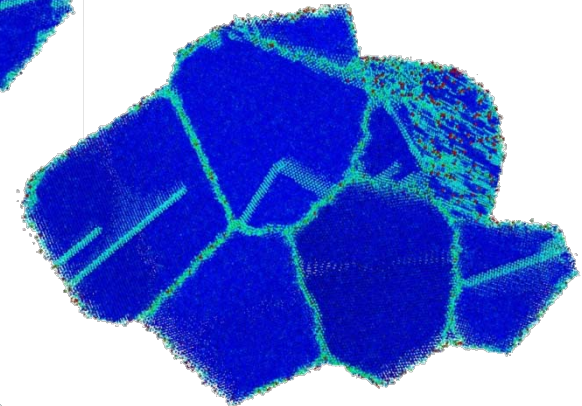


Partial dislocations
are nucleated from
grain boundaries
and triple
junctions.

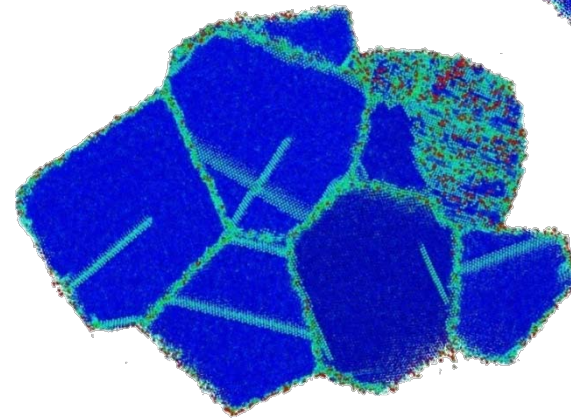


0.0at%Sb

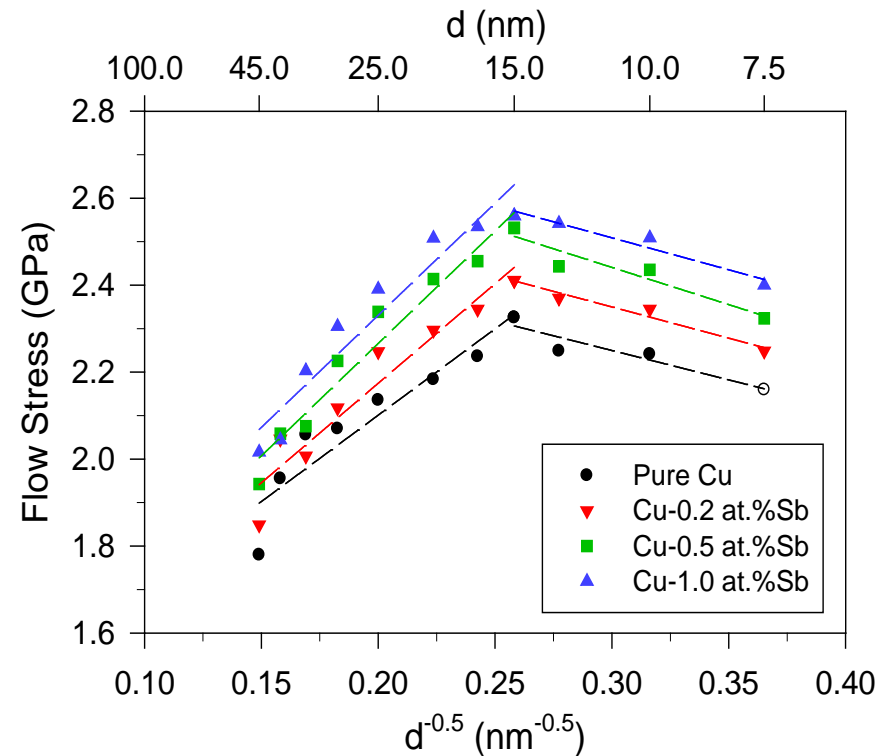
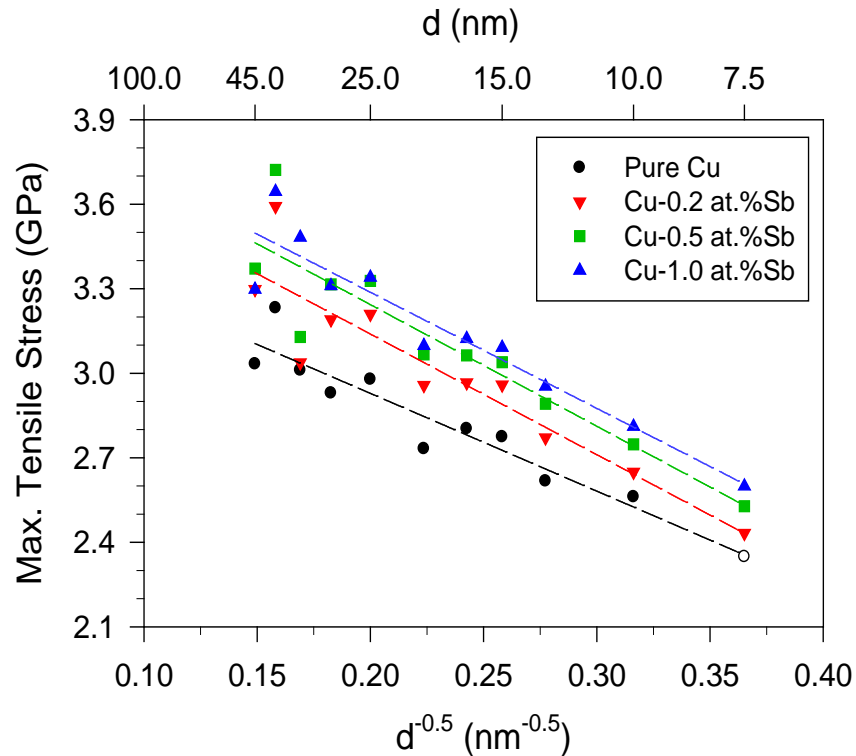
0.2at%Sb



0.5at%Sb



- Nanocrystalline Cu with Sb at grain boundaries
 - Uniaxial tensile deformation at 300 K



Small concentrations of Sb at the grain boundaries increases the flow stress, but does not shift the grain diameter associated with peak strength

- Rendering / moving large dump files
 - Enight (www.ensight.com)
 - Ovito (www.ovito.org) – still beta release
 - Paraview (www.paraview.org) – distributed rendering at TACC
- Modeling triple junctions
 - Incompatibility with “classical” periodic boundary conditions?
 - May require flexible border boundaries (Cai et al., Kurtz et al.)
- Linking bicrystal and nanocrystalline data
 - Incorporating bicrystal properties/mechanics into constitutive models for polycrystalline behavior
 - Sampling and statistics? (Foiles, Olmsted and Holm)